

Automated Fault Diagnosis in Embedded Systems*

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Abstract

Automated fault diagnosis is emerging as an important factor in achieving an acceptable and competitive cost/dependability ratio for embedded systems. In this paper, we survey model-based diagnosis and spectrum-based fault localization, two state-of-the-art approaches to fault diagnosis that jointly cover the combination of hardware and control software typically found in embedded systems. We present an introduction to the field, discuss our recent research results, and report on the application on industrial test cases. In addition, we propose to combine the two techniques into a novel, dynamic modeling approach to software fault localization.

Keywords: diagnosis, embedded systems, dependability.

1 Introduction

The complexity of the systems that we use on a day-to-day basis is constantly growing. This trend is particularly strong in the area of embedded systems, where new functionality can quickly be realized in software. In combination with an ever decreasing time-to-market, and a practically constant rate of faults per line of code, this implies that system reliability is decreasing.

Automated, or computer-aided diagnosis techniques are emerging as an important means to counter this trend. They serve to localize the faults that are the root causes of system

failures. As such, they help to shorten the test-diagnose-repair cycle in the software development process, allowing more faults to be removed. In addition, automated diagnosis techniques can be used in maintenance, and can serve as the basis for (automated) recovery. In this role they are a vital ingredient of dependable autonomic systems.

In this paper we survey two approaches to automated diagnosis: model-based diagnosis (MBD), and spectrum-based fault localization (SFL). The former technique, which originated in the artificial intelligence domain, infers a diagnosis from a compositional, behavioral model combined with real-world observations, and has successfully been applied to digital circuits and complex mechanical systems. The latter technique, SFL, overcomes the dependability of MBD on suitable behavioral models, and applies naturally to software, for which these models are generally not available. Together, MBD and SFL cover the combination of hardware devices and control software that is typically found in the area of embedded systems.

Specific contributions of this paper are the following.

- We take a high-level view on the diagnosis problem, which allows us to compare and relate MBD and SFL.
- We report recent successes with applying the two techniques in an industrial context, confirming their applicability in the area of embedded systems.
- We propose to combine MBD and SFL into a dynamic modeling approach to software fault localization.

The remainder of this paper is organized as follows. In Section 2 we introduce the diagnosis problem, and outline MBD and SFL. In Sections 3 and 4 we introduce the actual techniques, and discuss our current research and successful applications on industrial test cases. In Section 5 we propose to combine MBD and SFL into a dynamic modeling approach to software fault localization. We conclude in Section 6.

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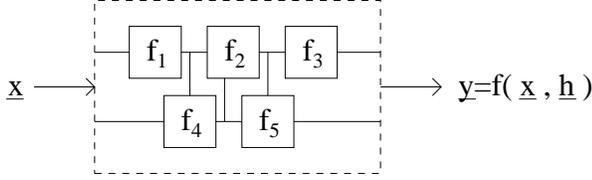


Figure 1. Conceptual view of a system

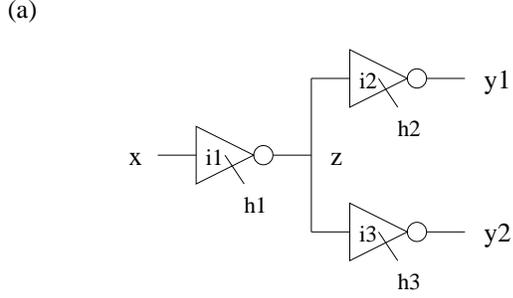
2 The Diagnosis Problem

Central to a discussion on diagnosis are the notions of failure and fault. A *failure* is a discrepancy between expected and observed behavior, and a *fault* is a property of the system that causes such a discrepancy. The notion of an *error* is sometimes used to indicate a system state that potentially leads to a failure [5], but for our purposes the distinction between failure and error is largely artificial, and depends only on what can be observed and what has been specified.

The purpose of diagnosis is to identify the system components that are the *root cause* of observed failures. We consider that a system consists of n components, and that it applies some system function $y = f(x, \underline{h})$, where x and y represent observations of system input and output, respectively, and where $\underline{h} = (h_1, \dots, h_n)$ indicates the *health state* of each of the n components (see Figure 1). The basic health states of a component are healthy and faulty, but as we shall see in Section 3, this can further be refined. Diagnosis can be understood as solving the inverse problem $\underline{h} = f^{-1}(x, y)$, i.e., find the combinations of component health states that explain the observed output for a given input. Note that the internals of the system are not observable, which distinguishes the diagnosis problem from a component testing problem.

Because the exact system function f is generally not known, diagnosis always involves the use of a system *model*. Depending on the amount of information that this model M provides about the system components, it can be used for diagnosis as follows.

- If M is composed from models M_1, \dots, M_n for each of the system components, and thus specifies their interaction and nominal behavior, it can be used for diagnosis by searching for combinations of health states \underline{h} such that $M(x, \underline{h}) = y$.
- If, in addition to the nominal system behavior $M(x) = y'$, the model only specifies how the components interact to determine the various elements y_i of y , without describing their actual behavior, it can still be used for diagnosis by identifying the extent to which components are exclusively involved in the observations y_i for which $y_i \neq y'_i$.



(a)

$$\begin{aligned} h_1 &\Rightarrow (z \Leftrightarrow \neg x) \\ h_2 &\Rightarrow (y_1 \Leftrightarrow \neg z) \\ h_3 &\Rightarrow (y_2 \Leftrightarrow \neg z) \end{aligned}$$

(b)

Figure 2. Three-inverters example: (a) circuit, and (b) model

The former approach to diagnosis is known as model-based diagnosis, which is the subject of Section 3. The latter approach is known as spectrum-based fault localization, which is the subject of Section 4.

3 Model-based Diagnosis

Model-based diagnosis was first proposed by Reiter [20] and De Kleer [7] and implemented in the General Diagnostic Engine. The best known practical examples can be found in the space domain [23] and in automotive applications [22]. Examples in the space domain are the Deep Space 1 [17] and Earth Observing 1 [18] missions, both part of NASA's New Millennium Program. Related but separate fields are that of Fault Tolerant control and diagnosis with Bayesian networks. In this section we describe the principles of MBD, the modeling technique, the underlying inference algorithms, and industrial applications.

3.1 MBD Principles

We demonstrate the principles of model-based diagnosis using the circuit of Figure 2(a) as an example (for examples beyond combinatorial logic, see [19]). This system consists of three logical inverters, which we model as components, each with an input u and an output v . The healthy, nominal behavior of an inverter is that the output is equal to the inverted input, i.e.,

$$h \Rightarrow (v \Leftrightarrow \neg u).$$

We can *compose* a model of the circuit of Figure 2(a) from three models of inverter components, by relating their

inputs and outputs according to the connections of the circuit. This model is shown in Figure 2(b). Note that this only models healthy behavior. In model-based diagnosis, the extent to which models capture faulty behavior is referred to as model *strength*, and the absence of such information in our example makes this a *weak* model.

If we were able to probe the inputs and outputs of all components of a system, the diagnosis problem would be trivial: we could simply search for the components whose behavior does not correspond to its component model. Typically, however, a significant part of the system is hidden from observation (the inside of the dashed box in Figure 1), and we have to *reason* about possible explanations for the observed, faulty behavior instead. In the case of our example circuit, we assume that only x , y_1 , and y_2 can be observed.

Suppose we observe $(x, y_1, y_2) = (1, 0, 1)$. The observation $y_1 = 0$ indicates a system failure, and to diagnose this failure we can substitute the observed input and output in the model of Figure 2(b), where 1 and 0 correspond to *true* and *false*, respectively. This yields the following propositions:

$$\begin{aligned} h_1 &\Rightarrow \neg z \\ h_2 &\Rightarrow z \\ h_3 &\Rightarrow \neg z \end{aligned}$$

which equals

$$(\neg h_1 \vee \neg z) \wedge (\neg h_2 \vee z) \wedge (\neg h_3 \vee \neg z).$$

Resolution yields the following conjunction of *conflicts*,

$$(\neg h_1 \vee \neg h_2) \wedge (\neg h_2 \vee \neg h_3),$$

which states that (1) at least one of i_1 and i_2 is faulty, and (2) at least one of i_2 and i_3 is faulty. The minimal diagnoses are given by the minimal *hitting set* [20], which equals

$$\neg h_2 \vee (\neg h_1 \wedge \neg h_3),$$

so either inverter i_2 is at fault (single fault), or both inverters i_1 and i_3 are at fault (double fault). However, for example, only inverter i_1 being at fault does not explain the observed failure $(x, y_1, y_2) = (1, 0, 1)$, because it would imply that y_1 and y_2 are equal.

The first column of Table 1 lists all combinations of component health states (diagnosis *candidates*) that are subsumed by the above minimal diagnosis. Because of the model weakness and limited observability (z is unknown), multiple explanations exist. This means that after this observation we still have some residual uncertainty about the actual system health state.

There are a number of ways to reduce this uncertainty and improve the quality of a diagnosis. One possibility is to

weak	strong	$z = 1$	multiple
(1, 0, 1)	(1, 0, 1)		
(0, 0, 1)	(0, 0, 1)		(0, 0, 1)
(1, 0, 0)			(1, 0, 0)
(0, 1, 0)		(0, 1, 0)	(0, 1, 0)
(0, 0, 0)		(0, 0, 0)	(0, 0, 0)

Table 1. Diagnoses (h_1, h_2, h_3) for the example circuit, with $(x, y_1, y_2) = (1, 0, 1)$

add constraints to the model that further specify the faulty behavior. For example, if we want to explore the possible explanations for the specific fault that an inverter has its output permanently set to 0 (called *stuck-at-zero*), we can add the constraint $\neg h \Rightarrow \neg v$ to the component model.

For the resulting model, which is called *strong* because it makes the faulty behavior explicit, the diagnosis is listed in the second column of Table 1. The additional constraints reduce the number of solutions, which improves the quality of the diagnosis. Note that we have to be careful with this strong modeling approach as our model can no longer explain any behavior resulting from unanticipated faults, and may prove to be inconsistent with some observations.

Another approach is to improve quality by increasing the observability. Consider adding $z = 1$ to the observation. The resulting diagnosis is shown in the third column of Table 1. Note that for this simple example, all variables are now observable, which makes the diagnosis problem trivial. In general, this will not be the case. Even so, while all explanations indicate that i_1 and i_3 are broken, there is still uncertainty about the health state of i_2 .

Besides increasing the number of observable variables we can also choose to use multiple observations, which capture the behavior of the system for different inputs. The results of combining the initial observation with a second observation $(x, y_1, y_2) = (0, 0, 1)$ is shown in the last column of Table 1.

Typically, though, a unique explanation for the observed behavior does not exist, and model-based reasoning is coupled with calculating the probability that the individual diagnosis candidates capture the actual fault state [7]: the failure probability of the individual components yield initial probabilities for diagnosis candidates. Using Bayesian reasoning these can then be updated to reflect the probability that the candidates explain the observations underlying the diagnosis.

3.2 Diagnostic Performance

The model of Figure 2(b) constitutes a propositional formula, and standard techniques for propositional satisfiability solving can be used to automatically find those explanations (h_1, h_2, h_3) that are consistent with the system de-

scription and observations. We have implemented MBD with the modeling language LYDIA (Language for sYstem DIAGnosis, [15]) and accompanying tools. LYDIA is designed to facilitate a conversion to a propositional formula in polynomial time.

However, the underlying satisfiability problem is NP-complete, and requires efficient, and specialized methods for searching the solution space. One such method is to use a probability heuristic that can be applied in an A* search algorithm. A further important improvement on such an algorithm is the use of conflict sets to skip over inconsistent solutions. For LYDIA we have implemented conflict-directed A* (CDA*) as proposed by [23].

Another promising approach, which has also been implemented, is to exploit model hierarchy [10]. A hierarchical system description is composed of smaller partial system descriptions that are organized in a hierarchical structure with one system description on the highest level. By exploiting the hierarchical information and selectively compiling parts of the model it is possible to increase the diagnostic performance and to trade cheaper preprocessing time for faster run-time reasoning. Our hierarchical algorithm, being sound and complete, allows large models to be diagnosed, where compile-time investment directly translates to run-time speedup. Experiments with a diagnosis benchmark based on ISCAS-85 circuitry models have shown speed-up factors between 2 to 5.6 compared to the CDA* algorithm.

Last, but not least, the use of non-deterministic, i.e., stochastic algorithms to traverse the search space provides an important speed-up for multiple fault diagnoses. We have implemented a greedy stochastic algorithm called SAFARI (StochAstic Fault diagnosis AlgoRIthm, [9]). For weak fault models, it can compute 80-90% of all cardinality-minimal diagnoses, several orders of magnitude faster than state-of-the-art deterministic algorithms, such as CDA*, allowing systems with several hundreds of components to be diagnosed in seconds. This algorithmic research will be applied to the fault diagnosis of Océ copiers within the FINESSE project (see [15]).

LYDIA supports variables both in the Boolean and finite integer (FI) domains. The use of FI domains is costly in terms of diagnosis time. We have shown that an algorithm working directly in the FI domain is a preferred option over Boolean encodings, as it offers speed-ups of up to two orders of magnitude [8].

3.3 Industrial Applicability

As part of the TANGRAM project five subsystems of ASML [4] wafer scanners have been modeled in LYDIA for diagnosis. Table 2 lists the following characteristics of these cases: engineering discipline, whether it involved dynamic system functionality, the model size, the time spent

on the modeling, and the (estimated) improvement in diagnosis time.

The EPIN case is a good example of how even a relative simple system consisting of three sensors, an actuator, and some safety monitoring logic, can be problematic for a diagnosis based on human reasoning. In one particular case it took two days to finally correctly identify the fault sensor because of an initial mistake in the diagnostic reasoning. The EPIN and WS cases have both been extended by exploring automatic model derivation from Netlists and VHDL code respectively. This automatic modeling step reduces modeling effort and decreases model maintenance as part of the model can be kept automatically up-to-date to design.

In half of the cases the diagnosis time had to be estimated based on earlier cases and simulation experiments. Based on these estimates and actual diagnosis times we find that the investment in modeling time yields significant speed-ups in diagnosis time.

4 Spectrum-based Fault Localization

While MBD is well-suited for circuits and hardware devices, software is rarely modeled in sufficient detail during development, and derivation of suitable behavioral models from source code is troublesome at best. However, as we already indicated in Section 2, diagnosis can be performed in absence of such models by analyzing the involvement of components of a system in the faulty behavior.

Consider the example failure $(x, y_1, y_2) = (1, 0, 1)$ of the previous section. Without knowing the functionality of the components, from Figure 2(a) we can still deduce that i_1 is involved in both output observations. Inverter i_3 is only involved in the correct output observation y_2 , but i_2 is the only component that is exclusively involved in the faulty output observation y_1 . This makes i_2 the most likely cause of the observed failure, while i_3 is least likely to be involved.

This technique, which is known as spectrum-based fault localization, applies quite naturally to software, which can be seen as an executable model that indicates, through profiling instrumentation, the involvement of its various components in correct and faulty behavior. Examples of existing systems for diagnosis and debugging that implement SFL are Pinpoint [6], which focuses on large, dynamic on-line transaction processing systems, and Tarantula [13] which focuses on C software. In this section we introduce the principles of SFL, and describe our recent research on its diagnostic performance. In addition, we discuss a successful application to industrial (embedded) software.

system	engineering disciplines	dynamic	model size [loc]	modeling time [days]	diagnosis time	
					order of magnitude original	MBD
LASER	E, M, S, O	X	806	20	days (*)	ms (*)
EPIN	E, M		37	7	days	ms
POB	E, M, O		500	12	hours (*)	s (*)
ILS	E		82	8	minutes	ms
WS	E, M, S, H	X	2151	15	days	s

Table 2. Overview of modeling cases. E = electric, M = mechanic, S = software, O = optical, and H=hydraulic. Estimates are indicated with (*).

4.1 SFL Principles

The name SFL refers to the use of so-called *program spectra* [21] for measuring the activity of software components. Here we will be using *block hit spectra*, which are arrays of binary flags with an entry per block of source code (see Figure 4), indicating the activity or inactivity of that block.

For the application of SFL to software, we require the program spectra of several runs of a program, some of which have demonstrated an error or failure (called *failed* runs). The other runs are called *passed* runs. The block hit spectra of several runs constitute a binary matrix, whose columns correspond to the different components (blocks in this case) of the program. Figure 4 shows an example for six runs and four components. The passed / failed information constitutes another column vector, which is called the error vector, and encodes the comparison of \underline{y} and \underline{y}' in Section 2. Fault localization essentially consists in identifying the component whose column vector resembles the error vector most.

To quantify this resemblance we use a *similarity coefficient*, as known from data clustering (see, e.g., [12]). As an example, the *Jaccard* similarity coefficient (see also [12]) expresses the similarity of two binary vectors \underline{x} and \underline{y} as the number of positions in which they share an entry 1, divided by this same number plus the number of positions in which they differ:

$$s = \frac{a_{11}}{a_{11} + a_{01} + a_{10}}$$

where $a_{pq} = |\{i \mid x_i = p \wedge y_i = q\}|$, and $p, q \in \{0, 1\}$.

To illustrate the approach, consider the function of Figure 3. It is meant to sort, using the bubble sort algorithm, a sequence of rational numbers, but it has a bug in the swapping code of block 4: only the numerators are swapped. Figure 4 shows the block hit spectra for six input sequences. The fault in the swapping code only manifests itself for the fifth input, $\langle \frac{3}{1}, \frac{2}{2}, \frac{4}{3}, \frac{1}{4} \rangle$, for which the output is $\langle \frac{1}{1}, \frac{2}{2}, \frac{4}{3}, \frac{3}{4} \rangle$ instead of $\langle \frac{1}{4}, \frac{2}{2}, \frac{4}{3}, \frac{3}{1} \rangle$. Consequently, we mark the fifth run as failed by an entry 1 in the error vector. The Jaccard similarities s_1, \dots, s_4 of the error vector to the four column vec-

```

void RationalSort( int n, int *num,
                  int *den )
{
    /* block 1 */
    int i, j, temp;
    for ( i=n-1; i>=0; i-- ) {
        /* block 2 */
        for ( j=0; j<i; j++ ) {
            /* block 3 */
            if ( RationalGT(num[j], den[j],
                           num[j+1], den[j+1])) {
                /* block 4 */
                temp = num[j];
                num[j] = num[j+1];
                num[j+1] = temp;
            }
        }
    }
}

```

Figure 3. A faulty C function for sorting rational numbers and its program spectra

tors in the spectrum data are listed in the bottom row of the table. Block 4 has the highest similarity, which (correctly) identifies the swapping code as the most likely location of the fault.

4.2 Diagnostic Performance

The calculated similarity coefficients rank the components of a system with respect to the likelihood that they cause the detected failures. If the actual location of a fault is known, we can then assess the quality of the SFL diagnosis based on its position in the ranking. This way, we have investigated the influence of several parameters on the diagnostic quality, using a benchmark set of software faults known as the *Siemens set* [11]. This set consists of seven C programs that range in size from 20 to 124 blocks of code. For every program, a number of faulty versions is available,

input	block				error
	1	2	3	4	
$\langle \rangle$	1	0	0	0	0
$\langle \frac{1}{4} \rangle$	1	1	0	0	0
$\langle \frac{2}{4}, \frac{1}{4} \rangle$	1	1	1	1	0
$\langle \frac{4}{4}, \frac{2}{4}, \frac{0}{4} \rangle$	1	1	1	1	0
$\langle \frac{3}{4}, \frac{2}{4}, \frac{4}{4}, \frac{1}{4} \rangle$	1	1	1	1	1
$\langle \frac{1}{4}, \frac{2}{4}, \frac{3}{4}, \frac{1}{4} \rangle$	1	1	1	0	0

$s_j = \frac{1}{6} \quad \frac{1}{5} \quad \frac{1}{4} \quad \frac{1}{3}$

Figure 4. Program spectra for the Rational-Sort function

each with a known bug. In addition, every program has a set of test cases that ensures full code coverage.

One of our research results concerns the so-called *Ochiai* similarity coefficient. This coefficient is known from biology, and to our knowledge, it has not previously been applied to SFL. Using 120 single-site faults from the Siemens set, we observed that the Ochiai coefficient outperforms several other coefficients, including the ones used by the Pinpoint (the Jaccard coefficient) and Tarantula tools mentioned above. This is illustrated in Figure 5, which shows the diagnostic quality for these three coefficients as a function of the rate at which fault activations lead to failures. Here, diagnostic quality is expressed as the percentage of code that need not be examined if the SFL ranking is followed when searching for the fault, averaged over all faults in our benchmark set. It also shows that SFL can already provide a useful diagnosis at low failure rates.

Further experiments have shown that including more failed runs is always safe because the accuracy of the diagnosis either improves or remains the same. We observed little or no improvement for more than six failed runs. However, while stabilizing around twenty runs, the effect of including more passed runs is unpredictable, and may actually lead to worse diagnoses. To what extent these results depend on program characteristics is subject to further investigations. See [1, 2] for details on these experiments.

4.3 Industrial Application

To some extent, the Siemens set faults are artificial, and to evaluate its practical applicability we implemented SFL for the control software of a product line of analog television sets from Philips (now NXP), and diagnosed two faults, one existing, and one seeded to replicate a problem in another product line.

A known problem with the specific version of the control software that we had access to, is that after teletext¹ view-

¹A standard for broadcasting information (e.g., news, weather, TV guide) in text pages, popular in Europe.

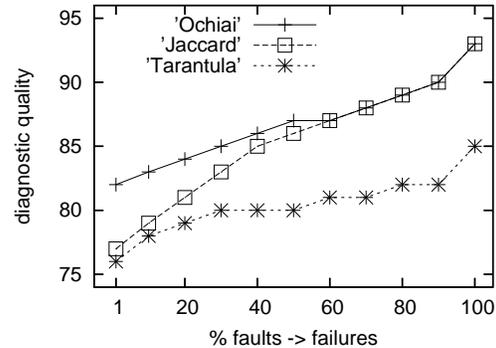


Figure 5. SFL diagnostic quality

ing, the CPU load when watching television (TV mode) is approximately 10% higher than before teletext viewing. To diagnose this problem, we obtained hit spectra for the functions tied to the ± 300 logical threads in the control software. We generated a new spectrum every second, and used a scenario of 60 s. TV mode, 30 s. teletext viewing, and 60 s. TV mode, where we marked the spectra for the last 60 s. as failed. In the resulting ranking, the function that was known to activate the fault came second.

The other fault entails that a text search in a teletext page without visible context locks up the teletext functionality. A likely cause for this lock-up, by which we reproduced it in our experimental platform, is an inconsistency in the values of two state variables in different subsystems. To diagnose this problem, we collected hit spectra for all blocks of code in the control software (over 60,000). Each time a key was pressed on the remote control we started recording a new spectrum. For error detection we used an assert-like check on the two state variables, that would flag an error if they assumed an invalid combination. This way, we were quickly able to find a straightforward scenario of 26 key presses, including a magic sequence to activate the fault, that yields a perfect diagnosis.

These experiments have confirmed our belief that because of its low time and space complexity, SFL is well-suited for the embedded software domain, which is characterized by scarce memory and CPU resources, and high concurrency. See [24] for a more in-depth discussion.

5 Towards an Integrated Approach

Table 3 compares model-based diagnosis and spectrum-based fault localization on the nature of the diagnosis that these techniques deliver, how the diagnosis candidates are ranked, the primary role of the model, factors that influence the diagnostic quality, and the primary application domains. As can be seen from this comparison, there are a number of distinct advantages to model-based diagnosis

	MBD	SFL
Diagnosis	valid explanations	ranking of all components
Ranking	probability theory	statistical similarity
Multiplicity	multiple-fault	single-fault
Model	used for reasoning	used for error detection
Quality	most likely explanation need not be actual cause	innocent components may rank high
Domain	hardware	software

Table 3. Comparison of MBD and SFL

over spectrum-based fault localization: whereas SFL produces a full ranking of all individual components based on the extent to which their behavior is statistically similar to the occurrence of errors, MBD only yields diagnosis candidates that are valid explanations for the observed behavior in the context of the model. Moreover, MBD naturally supports multiple-faults, and because the diagnoses that it delivers are susceptible to probability theory, the notion of entropy, or information content applies [7], and can be used as an indication of diagnostic quality.

To benefit from the advantages of MBD in the software domain, several approaches exist to derive suitable models from source code (see [16] for an overview). However, because these models are typically derived using static analysis, they fail to consider dynamic execution behavior, which, in contrast, forms the essence of the SFL approach. Aimed at combining the best of both worlds, in our future work we will investigate a dynamic modeling approach, where program spectra of failed runs are laid down in a simple, causal model relating component activity to failures. This model essentially states that the components involved in a failed run cannot all be healthy. The inherent weakness of such models, and the large number of resulting diagnosis candidates can then be countered as follows.

1. Using, for example, the intermittent fault model of [14], involvement of components in passed runs can be used to reduce the probability that diagnosis candidates containing these components describe the actual fault state.
2. The ranking of components produced by SFL, as described in Section 4, can be used as a heuristic to guide the search for diagnosis candidates, allowing that high-probability explanations are considered first.

For an in-depth description of the dynamic modeling approach, see [3].

6 Conclusion

Model-based diagnosis and spectrum-based fault localization are two practicable approaches to automated diagnosis that have successfully been applied to systems with embedded software. The experiments reported in Section 3.3 have led ASML to adopting MBD as a means to increase the efficiency of the manual diagnosis process. As a result of the promising outcome of the experiment reported in Section 4.3, further SFL experiments are now conducted at NXP to evaluate the technique on actual problem reports filed during the development of a more recent product.

In addition to a further investigation of factors that influence the diagnostic accuracy of MBD and SFL, we believe that there are many opportunities for combining the two diagnosis techniques. Specifically, in our future work we plan to further investigate the dynamic modeling approach to software fault localization outlined in Section 5.

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